

Box Plots	
<p>Quartiles equally divides data into four segments. The boundaries between the quartiles are labeled as Q₁, Q₂, and Q₃.</p> <p>Inner-Quartile Range (IQR) = Q₃ - Q₁ <i>IQR tells us the width of the middle 50%, which is exactly the size of the box in a box plot.</i></p>	<p>Whiskers extend out from the box plot to include all data points smaller than Q₁ or larger than Q₃ and are not outliers.</p> <p>Outliers are extreme values far from the median, drawn as individual points outside of the “box” and “whiskers”: High Outliers > Q₃ + (1.5 × IQR) Low Outliers < Q₁ - (1.5 × IQR)</p>

Probability Rules	
<p>P(A) is the probability of event A occurring. P(A B) is the probability of event A occurring given event B occurred.</p>	
<p>Multiplication (“AND”) Rule: $P(\mathbf{A \text{ and } B}) = P(\mathbf{A}) \times P(\mathbf{B A})$</p> <p>Addition (“OR”) Rule: $P(\mathbf{A \text{ or } B}) = P(\mathbf{A}) + P(\mathbf{B}) - P(\mathbf{A \text{ and } B})$</p> <p>Negation and DeMorgan’s Law: $P(\mathbf{A}) = 1 - P(\mathbf{not\ A})$ $P(\mathbf{“at\ least\ one”}) = 1 - P(\mathbf{“none”})$ $P(\mathbf{“not\ all”}) = 1 - P(\mathbf{“all”})$</p>	<p>Conditional Probability: $P(\mathbf{B A}) = P(\mathbf{A \text{ and } B}) / P(\mathbf{A})$</p> <p>Bayes’ Rule: $P(\mathbf{A B}) = P(\mathbf{B A}) \times (P(\mathbf{A}) / P(\mathbf{B}))$</p> <p>Common Symbols/Notations: “AND”: intersection, \cap, or \wedge “OR”: union, \cup, or \vee “NOT”: complement, A^c, \bar{A}, or $\neg A$</p>

Random Variables
<p>Z-Score for random variables: $Z = (Value - EV) / SE$</p> <p><i>Discrete Random Variables:</i> Expected Value: $E(X) = X_1P_1 + \dots + X_nP_n$</p> <p>Standard Error: $\sigma_X = \sqrt{(X_1 - \mu_X)^2P_1 + \dots + (X_n - \mu_X)^2P_n}$</p> <p><i>Binomial Random Variables:</i> Expected Value = $n \cdot p$</p>

$$\text{Standard Error} = \sqrt{np(1 - p)}$$

Means:

$$\text{Expected Value: } EV_{avg} = E(\bar{X}) = \mu$$

$$\text{Standard Error: } SE_{avg} = SD / \sqrt{n}$$

Percents:

$$\text{Expected Value: } EV\% = \text{population percent} = p$$

$$\text{Standard Error: } SE\% = (SD / \sqrt{n}) * 100\%$$

$$\text{SD for a population with os and 1s (yes and no): } \sqrt{p(1 - p)}$$

Regression

$$\text{Equation of the regression line: } \hat{y} = b_0 + b_1 * x_1$$

$$\text{Slope of the regression line} = r * SD_y / SD_x$$

$$\text{Y Intercept of the regression line} = \text{average of } y - \text{slope} * \text{average of } x$$

$$RMSE = SD_{errors} = \sqrt{1 - r^2} \times SD_y$$

$$\text{residual} = \text{actual} - \text{predicted}$$

Sampling

$$\text{General z-score formula: } z = (\text{value} - \text{average}) / SD$$

Quick formula for choosing how many people to poll:

$$n = (100\% * z * SD / M_{ofE})^2$$